A FIM-based Long-Term in-vial Monitoring System for Drosophila Larvae

Dimitri Berh†, Benjamin Risse†, Member IEEE, Tim Michels, Nils Otto, Xiaoyi Jiang‡, Senior Member IEEE, Christian Klämbt

Abstract—Drosophila larvae are an insightful model and the automated analysis of their behaviour is an integral readout in behavioural biology. Current tracking systems, however, entail a disturbance of the animals, are labour-intensive, and cannot be easily used for long-term monitoring purposes. Here we present a novel monitoring system for Drosophila larvae which allows us to analyse the animals in cylindrical culture vials. By utilizing frustrated total internal reflection in combination with a multi-camera/microcomputer setup we image the complete housing vial surface and thus the larvae for days. We introduce a calibration scheme to stitch the images from the multi-camera system and unfold arbitrary cylindrical surfaces to support different vials. As a result, imaging and analysis of a whole population can be done implicitly. For the first time, this allows to extract long-term activity quantities of larvae without disturbing the animals. We demonstrate the capabilities of this new setup by automatically quantifying the activity of multiple larvae moving in a vial. The accuracy of the system and the spatio-temporal resolution is sufficient to obtain motion trajectories and higher level features like body bending. This new setup can be used for in-vial activity monitoring and behavioural analysis and is capable of gathering millions of data points without both disturbing the animals and additional labour time. In total we have analysed 107,671 frames resulting in 8,650 trajectories, which are longer than 30 seconds, and obtained more than $4.2 \times 10^6$ measurements.

Index Terms—Drosophila Larvae, FIM, FTIR, Imaging Technique, Locomotion Analysis, Long-Term, Microcomputer, Multi-camera, Unfolding, Stitching

I. INTRODUCTION

THE importance of behavioural studies of model organisms has significantly increased in recent biological research. Complex experimental constructions and high-throughput experiments are only achievable by computer-aided image acquisition and analysis techniques [1]–[11]. To obtain meaningful interpretation and understanding of the behavioural phenotype of an animal, experiments usually have to be repeated multiple times under the same environmental conditions. Most importantly, the animals have to be taken out of their rearing habitat, cleaned (i.e. by removing dirt and other artefacts), and are afterwards placed in a new environment. These steps may disturb the animals and thereby lead to falsified behaviour output. Moreover, these steps are time-consuming and repetitive for the experimenter.

In current research concerning social interactions, day rhythm, or age related deficits, long-term automatic monitoring and behaviour analysis of freely moving animals is of main interest. This concerns mice [12]–[14], *Caenorhabditis elegans* [15]–[17], as well as Drosophila flies [18]–[22]. However, to the best of our knowledge there is no system available for monitoring the behaviour of Drosophila at the larval states in culture vials for a long time period.

A. Related Work

To analyse a large number of genotypes in a high-throughput manner animals have to be monitored for a long time period. Jhuang et al. [12] have suggested an approach for monitoring freely moving mice. Here an algorithm was trained with manually annotated image examples of behaviours of interest of home-caged mice. This trained system was then used to automatically annotate behaviours of interest in new recordings containing hours of material for one freely moving mouse in a cage. Ohayon et al. [13] have proposed a method for automated multi-day tracking of freely moving mice. Each
mouse was marked by a unique fur pattern using hair bleach and an image classifier was trained based on samples of the unique patterns of each mouse. Weissbrod et al. [14] have presented another automated long-term tracking and social behaviour analysis system. By combining video and radio frequency techniques (RFID) the system is able to obtain behavioural profiles of both individuals and groups. In practice, mice with two implanted RFID microchips were placed in a testing enclosure which was equipped with a custom-made array of circular RFID receivers horizontally placed beneath the arena floor. Additionally the position of the animals was recorded by a video camera.

Simonetta et al. [15] have proposed a new method for long-term recordings of Caenorhabditis elegans based on infrared microbeam scattering. The measurement technique utilizes an infrared light source which is mounted beneath the tracking stage. The light crosses a plate with an array of 100μm wide micro holes before it can pass through the worm culture receptacle and finally gets measured by a phototransistor. Yu et al. [16] have described a new automated monitoring technique for multiple worms of any development stage for several days. In practice, an array of plano-concave glass wells containing one worm (or a pair for mating experiments) was illuminated using dark field illumination and recording was done by a camera mounted on top of the array.

Besides the aforementioned model organisms, Drosophila is widely used. Several automated activity monitoring and locomotion analysis studies are related to Drosophila flies. Among all setups, the commercially available TriKinetics [23] system is one of the most popular. Here a single fly is placed in a closed glass tube with food and air supply. Each tube is crossed by up to 16 infrared light beams and a detector records how often the fly interrupts one of the beams in a user-defined time period by walking through it. Giles[21] has suggested an improvement of the aforementioned setup for analysing sleep behaviour in Drosophila melanogaster. Instead of using separate infrared emitter-detector pairs, a commercially available video camera was used to video-record multiple arenas of different shapes enclosing one fly for days. Dankert et al. [18] have introduced a method for automatically measuring aggression and courtship. They have used a setup with up to 4 double arenas, where one pair of flies was enclosed per arena. Inan et al. [20] have introduced a setup to image Drosophila flies in a petri dish which was illuminated from below by a uniform light source. A miniature, low-cost CMOS video camera was used to obtain a video stream which was further processed to extract the average light changes.

All of the previously mentioned methods and setups have several drawbacks when it comes to monitoring Drosophila larvae in habitats such as cylindrical culture vials, since it is not possible to use bleaching or RFID. Furthermore, monitoring only one or two larvae in one enclosure is not desirable if community behaviour is of interest.

Recently we have introduced an imaging technique for small animals, called FIM (FTIR-based Imaging Method) [24]. This technique utilizes frustrated total internal reflection (FTIR) to measure the contact surface of the animals on the substrate. The acquired images have an unsurpassed foreground/background contrast. In subsequent studies we have shown that FIM in combination with the associated software FIMTrack is suitable for a wide range of biological applications as well as a wide range of organisms [24]–[29].

Here, we propose an evolution of our previous work by extending our FIM setup into an automatic FIM-based long-term monitoring system to minimize the aforementioned influences and to speed up the experiments. An overview of our setup is sketched in Fig. 1. Additionally Fig. 2b and Fig. 2c give an impression of the current design. The utilization of the FTIR effect in combination with micro-cameras and microcomputers allows the experimenter to monitor third instar larvae in culture vials over several hours up to days without disturbing them. Furthermore, the time-consuming task of preparing each individual run of the experiment is reduced to a minimum. Our system is easy to use and since no specialized hardware is employed, the system is inexpensive and scalable.

II. System Overview

A. Hardware

Usually animals like Drosophila larvae are reared in so-called culture vials which normally have a cylindrical shape. The material of such vials varies from plastic over acrylic glass to glass. We use custom vials made out of borosilicate glass. In [24], [27] it was shown that those materials are suitable for the frustrated total internal reflection (FTIR) effect. Here we will provide a short summary of the physical principles facilitating this effect (Fig. 2a).

Given the approximated refractive indices of air $n_{\text{air}} \approx 1.00$ and borosilicate glass $n_{\text{glass}} \approx 1.52$ [30] the critical angle at the glass/air boundary according to Snell’s law is given by $\Theta = \arcsin \left( \frac{n_{\text{air}}}{n_{\text{glass}}} \right) = \arcsin \left( \frac{1.00}{1.52} \right) \approx 41.14^\circ$. All infrared (IR) light rays with angles of incidence above $\Theta$ are completely reflected at the glass/air boundary since $n_{\text{glass}} > n_{\text{air}}$, which facilitates the total internal reflection effect. In our setup the light rays are directed into the borosilicate glass at the cylinder’s bottom edge. When a larva is touching the vial wall, the IR light can enter the semi-translucent animal body and gets scattered by larva’s tissue. Among others, the scattering process produces light rays with angles of incidence below the critical angle $\Theta$. These rays of light are not completely...
reflected any more. They are frustrated and can pass through the glass leading to the FTIR effect. This light is captured by surrounding cameras. Therefore the captured images show a high contrast since only light scattered by larvae is visible.

To induce the FTIR effect 12 IR LEDs (Osram Components SFH 4350) with a dominant wavelength of 860nm are mounted at the bottom of the vial and connected to a custom-made circuit board. To precisely adjust the intensity of the LEDs additionally an Arduino Uno microcontroller (MC) is connected to the circuit in combination with a control knob allowing to adjust the intensity of the IR LEDs without plugging the MC into a computer. The experimenter can easily turn the LEDs on and off as well as control their intensity between 0% and 100%. The MC translates the chosen intensity by setting the pulse-width modulation (PWM) to a value in the range of [0, 255], where 0 means no power and 255 indicates the maximum power the LEDs are able to provide.

To monitor the whole cylindrical surface of a vial a multi-camera setup is used. For a modular and flexible setup, each of the cameras (Raspberry Pi HD NoIR v1.3 with 5MP) is connected to a standalone microcomputer (Raspberry Pi B+ with a Broadcom BCM2835 700MHz ARM11 CPU, 512 MB SDRAM, and a 10/100 Mbit/s Ethernet connection) and is mounted on a guide rail approximately 17cm away from the centre of the vial mounting. Furthermore, the cameras and microcomputers act as autonomous devices. Based on this design, it is possible to replace and configure each camera and microcomputer separately. The cameras and microcomputers are connected to a central server (Dell Optiplex 9020 with an Intel Core i7-4790 3.60GHz CPU, 16 GB DDR3-1600 RAM) in a client-server-architecture using an 8-Port Gigabit Switch (TEG-S80g).

Since the animals are semi translucent the IR light can partially pass through the animals’ body and since a multi-camera setup is used where the cameras are placed around the vial, the IR light transmitted through the larval body is captured by cameras which are imaging the dorsal part of the larvae. This signal leads to so-called ghosts: A single larva is visible multiple times resulting in an increased number of recorded animals in the tracking area. This is sketched in Fig. 3a and a real life example is given in Fig. 3b. To remove the ghosts we physically avoid the signal from all larvae not facing the camera ventrally by inserting an inner cylinder which is made of an opaque material as a light barrier (Fig. 2b, results can be found in Section IV-D). Furthermore, food for the larvae is usually directly contained within the culture vials. However, this causes another challenge: if the food is touching the vial wall, the FTIR effect occurs at the glass/food boundary. Thus, the IR light gets scattered and illuminates the inner part of the cylinder leading to a decrease of the foreground/background contrast (Fig. 3c). To prohibit this effect we have designed a food bowl made of an opaque material (Fig. 2b) which is mounted underneath the inner cylinder in order to uncouple the food and the IR light.

In theory, all vials with adequate optical properties can be used since our unfolding approach is not relying on any...
specific vial diameter (see Section III). However, the diameter of the food bowl must be adjusted accordingly to be inserted into the cylinder. To optimize the fly handling protocol we utilized a custom-made vial which is open on both sides. This allows for an easy removal of the flies after oviposition so that the food bowl contains the eggs (Fig. 1b). The inner cylinder is inserted from the top and the vial can be mounted as shown in Fig. 2b.

B. Runtime Environment

Both the client and the server are implemented in C++ utilizing the OpenCV library (v2.4). To be able to access the camera connected to the Raspberry Pi directly on the hardware level the Multi-Media Abstraction Layer API provided by Broadcom Europe Ltd. and redistributed by the Raspberry Pi (Trading) Ltd. is used [31]. Moreover, the server employs the Qt (v5.5) framework for the graphical user interface. For communication purposes between the clients and the server we use a custom-tailored network protocol which allows the experimenter to adjust all relevant camera parameters as well as to start or stop the image acquisition and transmission process directly from the server as a central node. Additionally, camera synchronization is implemented on the software level using the aforementioned network communication protocol.

Through utilization of the FTIR effect the produced images have bright objects as foreground and an almost black background. Therefore a grey level image will be sufficient to describe the brightness of the image. The checkboard pattern on the inner side of the vial in order to consider the same surface the larvae will crawl on and thus to achieve a higher accuracy.

Currently the checkboard corner detector implemented in OpenCV is used. Additionally, the user has the possibility to remove false or to add missing keypoint detections.

To be able to establish correspondences between the keypoints in the images and the markers on the cylinder it is necessary to ensure a specific order of these keypoints. Given a set of keypoints $K$ on the image plane (Fig. 5a), we first identify the four outer corners $k_1,\ldots,k_4$ by utilizing the fact that for every other point $k \in K$ it is possible to find neighbour points $\ell_1, \ell_2 \in K$ where $\angle \ell_1 k \ell_2 \approx 180^\circ$. Thus, for every detected keypoint $k$ we search for points $\ell_1, \ell_2$ such that

$$|\angle \ell_1 k \ell_2 - 180^\circ| < t_\alpha$$

where $\ell_1, \ell_2, k$ have to be pairwise different. The value $t_\alpha$ is a threshold defining the maximum turning angle between the line segments $\ell_1 k$ and $k \ell_2$ so that the points $\ell_1, k, \ell_2$ are interpreted as approximately lying on a straight line. A keypoint $k$ is one of the four outer corner points if no points $\ell_1, \ell_2$ satisfying (1) can be found.

At the end of this step we arrange the four outer corners $k_1,\ldots,k_4$ in a clockwise order around their geometric midpoint given by $\frac{k_1+k_2+k_3+k_4}{4}$. The final order of the four outer corners is illustrated in Fig. 5a.

Next, we compute two sets of keypoints $A, B \subset K$. The set $A$ contains all keypoints lying approximately on the line connecting $k_1$ and $k_4$ including $k_1$ and $k_4$ and $B$ contains all keypoints lying approximately on the line connecting $k_2$ and $k_3$ including $k_2$ and $k_3$, respectively. Keypoints in $A$ and $B$ are sorted according to the $y$-coordinate. Fig. 5b illustrates the first sorting step.

Afterwards all previous mentioned steps including finding the outer four corners $k_1,\ldots,k_4$ are performed on the set $K \setminus (A \cup B)$ recursively as long as there are at least two keypoint columns left. Otherwise the remaining keypoints are sorted according to the $y$-coordinate without searching for the four outer corners $k_1,\ldots,k_4$. Once the recursion ends all sorted keypoint subsets are merged.

B. Unfolding of Cylindrical Surface

Several algorithms deal with the subject of unfolding a cylindrical surface [32], [33]. Since our setup is compact, static, and it is possible to use a calibration pattern easily we introduce a more suitable and simplified method.
A right circular cylinder surface $\mathcal{M} \subset \mathbb{R}^3$ with radius $r$ and height $h$ located at the origin can be parametrized by

$$\mathcal{M} = \{(r \cdot \cos(\phi), r \cdot \sin(\phi), z) \mid \phi \in [0, 2\pi], z \in [0, h]\} \quad (2)$$

Using a rotation matrix $A \in SO(3)$ and a translation vector $b \in \mathbb{R}^3$ a point on any arbitrary right circular cylinder surface can be expressed by

$$Ap + b, \ p \in \mathcal{M} \quad (3)$$

If the parameters $A, b$ and the focal length of the camera $f$ are known, the projection $q = (x, y, 0)$ of the point $Ap + b$ can be obtained by solving the equation

$$q = c + t \cdot (Ap + b - c) \quad (4)$$

where $c = (0, 0, -f)$ is the camera centre (Fig. 6). A priori the parameters $A, b$ and $f$ are unknown. However, (4) can be rewritten as

$$x = 0 + t(a_{11}r \cos(\phi) + a_{12}r \sin(\phi) + a_{13}z + b_1 - 0)$$
$$y = 0 + t(a_{21}r \cos(\phi) + a_{22}r \sin(\phi) + a_{23}z + b_2 - 0)$$
$$0 = -f + t(a_{31}r \cos(\phi) + a_{32}r \sin(\phi) + a_{33}z + b_3 + f)$$

where $v = (a_{11}, a_{12}, a_{13}, a_{21}, a_{22}, a_{23}, a_{31}, a_{32}, a_{33}, b_1, b_2, b_3, f)^T$ and $\alpha := r \cos(\phi)$, $\beta := r \sin(\phi)$.

Since the geometry of the used cylinder and the checkerboard is known, the angle between two horizontally adjacent corners is given by

$$2\pi \cdot \frac{s_c}{U} \quad (5)$$

where $U = 2\pi r$ is the perimeter of the cylinder and $s_c$ is the real word square size of the used checkerboard pattern (Fig. 6). Based on this knowledge it is possible to compute the associated point in cylindrical coordinates for every detected and sorted keypoint as depicted in Fig. 7. Without loss of generality the two dimensional surface coordinate system of the cylinder image can be placed at the corner $k \in K$ which is the lowest and leftmost detected corner. Thus, for every point $k_i \in K$ the corresponding point $p_i$ in cylindrical coordinates is given by

$$p_i = (r \cos(n_{i,c} \cdot \frac{s_c}{r}), r \sin(n_{i,c} \cdot \frac{s_c}{r}), n_{i,r}, s_c)$$

where $p_i \in \mathcal{M}$, $n_{i,c}$ is the number of detected keypoint columns between $k$ and $k_i$, and $n_{i,r}$ is the number of detected keypoint rows between $k$ and $k_i$, respectively.

Given at least 7 point correspondences such that point $Ap_i + b, p_i \in \mathcal{M}$ on the cylindrical surface corresponds to point $k_i$ on the image plane the following set of equations can be obtained

$$D_{x_1,y_1,\phi_1,z_1} \quad \Rightarrow \quad v = : Dv = 0$$

To get a least squares solution Singular Value Decomposition [34] on the normal equation $D^T Dv = 0$ can be used.

It should be noted that the least squares solution is obtained without the constraint $A^T A = I$ and thus the resulting matrix $A$ is not necessarily in $SO(3)$. However, the accuracy of the algorithm is still sufficient (see Section IV-A).

In the next step we generate an arbitrarily sized rectangular $(\phi, h)$-image $\mathcal{T}$ as depicted in Fig. 8 which is defined by both the square size $s$ in pixels and the size of the detected checkerboard pattern. For every point in $\mathcal{T}$ we are able to compute the associated point on the cylindrical surface based on (2) and (3). By applying (4) we can obtain the projection point $q$ on the image received from the camera. By bilinear interpolating the position of $q$, the grey value of the corresponding point on $\mathcal{T}$ is obtained. Fig. 8 illustrates the whole procedure.
Fig. 8. Unfolding of a cylindrical surface. (a) Point coordinates \((\phi, z)\) on the \((\phi, h)\)-image \(I\) during construction of the unfolded image. (b) The three dimensional coordinate of the associated point on the cylindrical surface can be computed utilizing (2) and (3) in combination with the known parameters \(A\) and \(b\). (c) Obtained image point \(q\) after projection of \(Ap + b\) based on (4) and interpolation.

Since the cameras and the cylinder are static and to decrease the computation time of the unfolding step for each frame on the clients a Lookup Table is used. This table has the same size as \(I\) and contains for each point \((\phi, z) \in I\) the associated projected point \(q\).

C. Image Stitching

In contrast to image stitching algorithms for generating a panoramic view, in our setup we compute a horizontal and/or vertical offset and place the individual images from each camera side-by-side in a specific order. For computing the offsets we use the pattern given in Fig. 4. The different distances of the circles lying on the same vertical line allow an exact identification of the location of a single view with respect to the overall pattern.

In a given unfolded subview we first search for circles using Hough Transformation. By looking at the leftmost two vertically aligned circle midpoints \(c_1^3 = (x, y_1)\) and \(c_2^3 = (x, y_2)\) where \(y_1 < y_2\) and by knowing the square size \(s\) the relative positions of these midpoints in the subpattern in square coordinates are given by \(\hat{c}_1^3 = \left(\left\lfloor \frac{x}{s} \right\rfloor, \left\lfloor \frac{y_1}{s} \right\rfloor \right)\) and \(\hat{c}_2^3 = \left(\left\lfloor \frac{x}{s} \right\rfloor, \left\lfloor \frac{y_2}{s} \right\rfloor \right)\), as depicted in Fig. 9. Additionally the vertical distance in squares between these midpoints is given by \(d(\hat{c}_1^3, \hat{c}_2^3) = \hat{c}_2^3 - \hat{c}_1^3\). Utilizing the fact that circle midpoints with a distance of 4 are located at the first (i.e. the 0th) column and that each additional circle midpoint pair has an offset of 3 squares to its predecessor in \(x\)-direction, the absolute column of the view in relation to the whole checkerboard is given by \(c_{abs} = d(\hat{c}_1^3, \hat{c}_2^3) - 4\) \(\cdot 3\).

Next, we establish the absolute position of the subview by computing the upper left and the bottom right square index according to the global pattern. Since the base row with the alternating black and white circle sequence of the used checkerboard pattern is 13, the upper left square position can be estimated by \(p^{ul} = (c_{abs} - c_2^2, 13 - c_2^2 y)\). Furthermore, given the dimensions of the detected checkerboard in the subview by \(n_x\) and \(n_y\), we compute the bottom right square in absolute coordinates by \(p^{br} = (p^{ul} + n_x, p^{ul} + n_y)\). Since the positions of the cameras as well as of the cylinder are fixed this procedure has to be done only once.

After the positions of the unfolded subviews are known, we combine the overlapping regions by using alpha-blending.

IV. RESULTS

To demonstrate the quality and reliability of the proposed setup four aspects have been evaluated. First, we have examined the results of the cylindrical unfolding. This section is followed by an analysis of the performance of the system. In a third step we examined the image quality of in-vial FIM imaging. Finally we demonstrate the applicability of our setup for both, long term activity monitoring as well as posture and locomotion analysis.

A. Unfolding

To evaluate the performance of the unfolding algorithm we have used 8 test images of a cylindrical vial with an inner radius of 22.63 cm, a height of 11.2 cm and a wall thickness of 2.4 mm in different orientations with a checkerboard placed at the inner side of the vial. It should be noted that this system is not limited to this radius or height. The unfolding routine explained in Section III can be applied to arbitrary cylinder dimensions.

Since the same unfolding algorithm will run on each microcomputer simultaneously and since all 5 cameras are equal in terms of assemblage, we have used a randomly chosen one for this analysis. The testing images have a resolution of 992 \(\times\) 1296 pixels and each of them is depicted in Fig. 10.

To evaluate the accuracy of the algorithm described in Section III-A and Section III-B we have used the re-projection error as an error metric. By knowing the parameters \(A\), \(b\), and \(f\), the projected point \(q_i\) of a point \(p_i \in \mathcal{M}\) on the image plane is given according to (4). Additionally, the associated detected keypoint \(k_i \in \mathcal{K}\) as well as the interpolated point \(\hat{q}_i\) are known.

The re-projection error is thus given by \(e = d(k_i, \hat{q}_i)\), where \(d(k_i, \hat{q}_i)\) denotes the Euclidean distance between the image points \(k_i\) and \(\hat{q}_i\). Furthermore, the mean re-projection error for all detected keypoints is given by

\[
\frac{\sum_{k_i \in \mathcal{K}} d(k_i, \hat{q}_i)}{|\mathcal{K}|} \tag{5}
\]

where \(|\mathcal{K}|\) denotes the number of corners present in \(\mathcal{K}\).
Each test was repeated 10 times. Table I summarizes the results where the mean error calculated by (5) of the 10 trials is shown. It can be seen that the mean error is always below 1 pixel. Compared to the approximate larva length of at least 15 pixels this accuracy is sufficient for our purpose.

<table>
<thead>
<tr>
<th>Image</th>
<th>Mean Re-Projection Error (in px)</th>
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<tr>
<td>1</td>
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</tr>
<tr>
<td>2</td>
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<tr>
<td>3</td>
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</tr>
<tr>
<td>4</td>
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</tr>
<tr>
<td>5</td>
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<tr>
<td>6</td>
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</tr>
<tr>
<td>7</td>
<td>0.5432</td>
</tr>
<tr>
<td>8</td>
<td>0.6027</td>
</tr>
</tbody>
</table>

**TABLE I**

<table>
<thead>
<tr>
<th>Square size</th>
<th>Mean Transmission Time [ms]</th>
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<tr>
<td>20</td>
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</tr>
<tr>
<td>80</td>
<td>2014</td>
</tr>
</tbody>
</table>

**B. Performance**

The stitching process can be performed quickly on the central server since all relevant parameters have to be calculated only once. Thus, this step is not the crucial part regarding the overall performance. To evaluate the performance of the system we measured the processing time for one transmission, i.e. we quantified the time of the following pipeline: First the server requests the unfolded images from all 5 clients. The clients then have to obtain new camera images in a certain resolution and subsequently perform the unfolding algorithm. Afterwards, the data is sent to the server. Once the server receives the data from all 5 clients, the transmission process is finished.

We have tested 6 different image resolutions, namely $544 \times 960$, $768 \times 1024$, $992 \times 1296$, $1088 \times 1920$, $1920 \times 1920$, and $2592 \times 1936$ in combination with 5 different square sizes $s \in \{20, 40, 60, 80, 100\}$, where $s$ describes the size in pixels of a square edge in the unfolded image. The unfolded images had a size of $6s \times 16s$. Each transmission process was repeated 5000 times with a shutter speed of 100ms and the mean processing time as well as the standard deviation were calculated. The results are summarized in Fig. 11 and clearly show that the transmission time strongly depends on both the image resolution and the square size. However, these factors have different influences. Looking at the values for $s = 20$ it can be seen that the resolution is not the dominant factor since the transmission time for the resolutions $544 \times 960$, $768 \times 1024$, $992 \times 1296$, and $1088 \times 1920$ is almost the same (approximately 220ms). Here the unfolding and the transmission through the network is the time-consuming part. For $s = 40$ and $s = 60$ the transmission time looks like expected. For a lower resolution and a lower $s$ the process takes less time. Given a square size of $s = 80$ a similar observation can be made in comparison to a square size of $s = 20$. The processing time for the resolutions $544 \times 960$, $768 \times 1024$, and $992 \times 1296$ of approximately 500ms shows again that at this point the unfolding step is the elaborate part of the transmission process which prohibits a better performance of the system.

For our purpose a resolution of $992 \times 1296$ and a square size in the range of 30-40 represents an adequate trade-off between the accuracy and the performance of the system since a temporal resolution between 2 and 3 frames per second (fps) is sufficient for our purpose due to relatively slow movement of the larvae, even when computing higher level features such as body bending or area (see Section IV-E).

**C. Contrast**

A detailed comparison between images produced by the FIM system and images acquired by conventional imaging techniques has been given in [24]. Here we focused our analysis primarily on the contrast of the images produced by our setup. Fig. 12 provides an example of a Drosophila larva recorded with PWM values of 20, 100 and 200.

In grey-level images the contrast is the difference in luminance which makes objects distinguishable. The common definitions of contrast are based on ratios like luminance difference [35]. To measure the contrast we use grey-level histogram based variance analysis. In particular, Otsu’s thresholding [36] is used since its terminology and parameters are well-established. Assuming bimodal grey-level distribution, the foreground and background can be assumed as two distinguishable Gaussian distributions with their maxima representing the mean foreground and background intensity. Since Otsu’s method leads to the optimal threshold $k$ in a bimodal distribution, this threshold can be used to separate the histograms as well as the associated
images in foreground and background regions. Furthermore, according to Otsu a measurement of separability is given by
\[ \eta = \frac{\sigma_w^2}{\sigma_w^2 + \sigma_B^2} \]
where \(\sigma_w^2\) and \(\sigma_B^2\) are the within-class variance and the between-class variance, respectively. Fig. 13 shows two exemplary images recorded with PWM values of 100 and 200 as well as the histograms and the final segmentation using Otsu’s thresholding are shown.

The fact that the area of the inner vial surface is much higher than the total area covered by all visible larvae leads to an unequal foreground/background pixel distribution. Since a large, almost uniform, background is present, the average luminance is approximately equal to the background luminance. In such cases the Weber contrast is commonly used as a contrast quality measurement. The Weber contrast is part of the Weber-Fechner law and is given for grey-level images by
\[ W_c = \frac{\mu_1 - \mu_0}{\mu_0} \]
where \(\mu_0\) and \(\mu_1\) are the mean luminances of the background and foreground.

To analyse the quality of the images and to explore the optimal PWM value range we acquired 5 images for each PWM value in the set of \(\{10, 20, 30, 40, \ldots, 240, 250\}\). The results for the 5 images of each PWM value were averaged to reduce the impact of image noise.

The curve depicted in Fig. 14a shows the relation between the PWM value and the optimal segmentation threshold \(k\) calculated by Otsu’s algorithm. The slope of the curve is always positive and the changing rate of \(k\) is nearly a linear function of the PWM value which indicates that a good segmentation can be performed in a wide PWM range. This statement is supported by looking at Otsu’s measurement of separability \(\eta\). According to Otsu, \(\eta\) reaches its maximum at the minimal within-class variance. Thus this measurement can be used to find the optimal threshold and the optimal PWM value by plotting \(\eta\) against the PWM value. As illustrated in Fig. 14b the maximum value for \(\eta\) is reached at \(PWM = 110\) with \(\eta(110) = 0.763\). However, in the range of 70-200 the values for \(\eta\) differ from each other by maximum \(\Delta\eta = 0.025\). Similarly, the optimal Weber contrast is reached at \(PWM = 80\) with \(W_c(80) = 14.955\) (Fig. 14c). Again the difference between all values of \(W_c\) in a range of 50-170 has a maximum of \(\Delta W_c = 1.389\). If the PWM values for the maxima of \(\eta\) and \(W_c\) are exchanged the resulting measurements of \(\eta(80) = 0.749\) and \(W_c(110) = 14.464\) are still close to the respective maxima.

The results summarized in Fig. 14 suggest that a good segmentation of the foreground objects is possible. The best segmentation results are achieved with a PWM value range between 80 and 110 showing that our setup is not restricted to a specific parameter set but rather will produce adequate segmentation results without precise luminance adjustment.

Due to the fact that the used cylindrical vial is open on both sites (i.e. at the top and bottom), it is impossible to prevent a small amount of IR light from entering the inner part of the cylinder. This fact leads to a slightly inhomogeneous distribution of the background pixel values with growing PWM values and poses the question if high PWM values cause erroneous segmentation artefacts as such artefacts would increase the background class occurrence \(\omega_0\). By comparing all occurrences for the correctly segmented images (with the same number of larvae) and the given PWM values we quantify the maximum increase of noise in this distribution by
\[ n_{inc} = \max_{p\in\{10, 20, \ldots, 250\}} \omega_0(p) - \min_{p\in\{10, 20, \ldots, 250\}} \omega_0(p) \]
Since \(n_{inc} = 0.05809\), the range of pixels identified as background pixels is almost the same for all PWM values, our measurement technique is stable against IR light illumination changes.

D. Ghosts and Glowing Food

It was already mentioned in Section II that we were able to overcome the ghost and the glowing food problem by inserting an opaque inner cylinder in combination with an opaque food bowl. In Fig. 15 a three-dimensional representation of the cylindrical vial surface is given. It can be seen that there is almost no infrared light illuminating the inner part of the vial.
Fig. 14. PWM study and contrast analysis. (a) Otsu’s threshold $k$ plotted against PWM. (b) Separability measurement $\eta$ plotted against PWM. (c) Weber contrast $W_c$ plotted against PWM.

Fig. 15. Three-dimensional representation of the cylindrical vial surface. By inserting an opaque inner cylinder in combination with an opaque food bowl we were able to overcome the ghost and the glowing food problem.

Furthermore, the larvae marked red are not visible in the area marked blue and vice versa.

E. Locomotion Analysis

To evaluate the stability of our system and to demonstrate its abilities for long-term monitoring, we performed a long time test by capturing Drosophila melanogaster larvae 5 days after egg laying in a vial with an inner radius of 22.63cm, a height of 11.2cm, and a wall thickness of 2.4mm for 135 hours without interruption. During the recording the PWM value was set to 100 and according to the datasheet of the used LEDs this results in a radiant intensity of approximately 400 $mW/cm^2$.

To reduce the amount of data and to save storage space the capturing was done with 2 frames per second and both the stitched frames as well as the frames from each camera were stored in compressed PNG file format. Furthermore, images acquired by the cameras had a raw resolution of $992 \times 1296$ pixels. The square size $s$ for unfolding was set to 30, resulting in an overall stitched image size of $840 \times 480$ pixels. In total, 560GB of data were acquired and saved for the subsequent evaluation.

Fig. 16 illustrates the first unfolded and stitched view of the vial where almost all larvae are located in the food at the food bowl. Additionally, images taken after 15, 39, 63, 87 and 111 hours are depicted in the same Figure showing the distribution of the animals in the vial.

In the subsequent analysis the main challenge appears to be the elaboration of an adequate background model, since the dirt, the standard food, and the excretions of the larvae accumulate more and more on the tracking surface. Each of these artefacts induces the FTIR effect and as in any other optical imaging technique becomes apparent in the images. Additionally, these artefacts are not necessarily static since they can stick to larvae and can then be transferred to another position on the tracking surface very quickly (i.e. within a few frames). Furthermore, an increasing number of larvae start pupation over time, resulting in immoveable, static objects, which also induce the FTIR effect. Fig. 16 provides an impression of these problems and the development of the background over time. Modelling such a dynamic background where artefacts can have approximately the same size and even appearance as larvae is a challenging task.

To demonstrate the basic technical suitability of the proposed setup and to show the overall possibility to obtain meaningful readout, we excluded the background modelling problem by limiting the analysis to the first 15 hours. In total, we have analysed 107,671 frames using FIMTrack [26] without any major adjustments for segmentation and tracking of the larvae. Currently, FIMTrack is not able to handle...
touching animals. Thus, these animals were excluded automatically from tracking and the associated trajectories were terminated at the time step at which the animals came in contact. Furthermore, we have discarded trajectories which are shorter than 30 seconds (i.e. 60 frames) resulting in 8,650 remaining trajectories. Overall, we acquired more than $4.2 \times 10^6$ measurements. As mentioned above, this huge amount of data was acquired implicitly without both disturbing the animals and additional labour time.

As a first readout, we analysed the possibilities of FIMTrack to calculate posture and motion parameters like the body bending angle $\gamma$ [26] or the area as an indirect peristalsis quantification parameter [24].

In Fig. 17a the body bending of a larva’s trajectory given in Fig. 17b is plotted over time. A body bending to the left side is indicated by a positive value of $\gamma$ (yellow area in Fig. 17a) and a bending to the right side is indicated by a negative value of $\gamma$ (red area in Fig. 17a). The images of a single larva in Fig. 17c correspond to the time points marked by arrows in the body bending graph (Fig. 17a). In Fig. 17b it can be noted that utilizing FIMTrack for analysing images produced by the setup it is possible to obtain meaningful and analysable trajectories. Furthermore, FIMTrack is able to quantify the body bending of a larva. The quality of the images is still sufficient to detect even subtle body bending situations of a larva (see value and still image for time point 261 in Fig. 17a and Fig. 17c).

Moreover, the detected contour of a larva defines the area covered by the animal’s body. During the peristaltic contraction movement, a change of the area is expected [37]. Fig. 18a illustrates the area of a larva’s trajectory depicted in Fig. 18b. By analysing the changing rate of the area covered by the larval body it is possible to compute the contraction frequency of the animal.

V. DISCUSSION

Imaging larvae in culture vials using several cameras and frustrated total internal reflection entails several challenges. We have already addressed and solved some of these. The ghost problem was resolved by inserting an inner opaque cylinder, effectively blocking scattered light from larvae at the opposite vial wall. Similarly, the glowing food was removed by disjoining the food and vial wall using a opaque food bowl.

One challenge occurs during the stitching process. In general, the calibration is done in relation to the inner surface of the cylinder described by the placement of the checkerboard. To facilitate a good stitching and blending, we assume that the position of the objects is the same in the overlapping area of both cameras, which is true given this surface (Fig. 19a). However, in some cases this assumption cannot be maintained. If a larva or a part of it moves too far away from the calibration surface, e.g. when the larva lifts its head or tail, the posture of this larva is imaged at two slightly different positions. Furthermore, this effect is aggravated by refraction effects. Since alpha blending is used, this may result in situations such as the one depicted in Fig. 19b where the artefact of a larva caused during the stitching process is marked by an arrow. It should be noted that the image of a larva is only influenced by this effect in a narrow area around the vertical stitching line. By modelling the refraction using a method similar to the one described in [38] and by applying a more sophisticated calibration and blending algorithm, this effect could potentially be decreased to a minimum.

The main challenge is caused by the accumulation of dirt during long measurements: Larvae leaving the food bowl slowly accumulate food and other artefacts at the vial surface. These artefacts also scatter IR light, making them detectable.
in the images which aggravates a robust segmentation. Taking into account that the artefacts are mostly immovable, this issue could be resolved by learning the background over time using a modified Gaussian mixture model approach [39]. Besides the accumulation of background artefacts the maximal monitoring time is also limited by the available disk space of the server. Given a well-defined behavioural readout online processing of the images would however strongly reduce the required memory load and could easily be incorporated due to the client server architecture of this system. Finally, the total amount of monitoring time has to be specified based on the specific experiment. Considering an analysis of wandering stage larvae a monitoring time of 24 hours might be sufficient. If differences in the initiation of the wandering stage or different hatching times need to be elucidated, longer monitoring periods are necessary.

Although using our setup it is possible to perform long-term monitoring of third instar Drosophila larvae without disturbing the animals while reducing the necessary effort of the experimenter to a minimum, currently it is not possible to perform stimulus-based behaviour analysis. However, a heat gradient could be integrated into the inner cylinder. Furthermore, since low-cost cameras are used the spatial resolution is not sufficient if very precise quantifications are necessary. This issue can be addressed by using more sophisticated but more expensive cameras which are used in systems like MAGAT [4] or FIM [24] in combination with more powerful hardware.

Nevertheless, in-vial tracking facilitates several novel studies. For example, this system represents a well-suited setup to analyse the molecular regulation of circadian rhythmicity. Several mutants of genes regulating the adult circadian rhythm are known [40]. For the gene timeless (tim), which is expressed from embryonic stages [40], different alleles are known to increase cycle frequency or to decrease it [41]. However, to our knowledge these studies so far have not been extended to the larval stage. Our system could allow to determine whether different locomotion strategies are used since it allows to track individual wandering third instar larvae after leaving the food for a long time period without disturbing them. Furthermore, this system for the first time allows an automated analysis of the negative geotropism shown by third instar larvae.

Additionally, the system may also provide a starting point for supervised Drosophila culture since it could potentially be extended by additional hardware to adjust specific environmental conditions like humidity in order to analyse if and how these adjustments influence the behaviour of the animals.

VI. CONCLUSION

We have proposed a novel method to monitor the behaviour of Drosophila larvae in vials from hours up to days. The system was used to image entire vials for up to 135 hours using multiple cameras and microcomputers. Our system provides both a suitable temporal resolution as well as a sufficient image resolution.

The subsequent posture and motion quantification was performed using FIMTrack [26], a software designed for analysing FIM images. We successfully analysed 15 hours of continuous recordings and computed both the trajectories and higher level features like body bending and the area of the larvae which can be used as an indirect measure for peristalsis. In total, 8,500 tracks, each longer than half a minute, could be extracted, resulting in millions of data points. We are convinced that the proposed setup can be used for monitoring third instar crawling larvae, allowing to extract long-term quantities like time of entering the wandering stage, (day/night) activity, overall distribution in the vial, and time of pupation. Although we do not think that our system will replace all existing tracking paradigms, it has the potential to monitor the animals without any disturbance while drastically reduce labour time.

In the future we plan to improve both our background model and the calibration and stitching routine. Furthermore, additional algorithms like an automatic pupae classification and a collision resolution could be implemented to increase possible readouts. We are aiming for an online-tracking algorithm to extract the features during recording without saving the images which will reduce the required amount of disk space. This online-tracking in combination with a multi-vial imaging system in controlled environments will facilitate the extraction of billions of generic behavioural characteristics without changing the laboratory routine bringing a database of behavioural fingerprints of Drosophila larvae in reach.

APPENDIX A

SUPPLEMENTARY MOVIE

To give an impression of the images acquired by our setup we provide a supplementary movie with this document which shows a time laps of the first 39 hours of capturing Drosophila melanogaster larvae 5 days after egg laying.

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